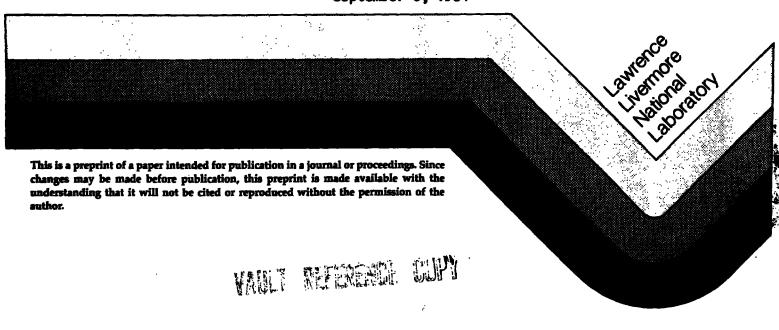
# ESTIMATION OF THE THERMOPHYSICAL AND MECHANICAL PROPERTIES AND THE EQUATION OF STATE OF Li20

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ESTIMATION OF THE THERMOPHYSICAL AND MECHANICAL PROPERTIES AND THE EQUATION OF STATE OF L1 $_{2}$ 0 $_{2}$ 

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ABSTRACT. Lithium oxide is one the most important solid breeder materials for future use in magnetic or inertial-confinement fusion reactors. Yet, in spite of its potential use, very little experimental work has thus far been done on establishing the fabrication parameters and thermophysical and mechanical properties.

In this study we develop correlation methods based on Knoop microhardness and melting points for estimating tensile strength, Young's modulus, and Poisson's ratio for Li<sub>2</sub>O as a function of grain size, porosity, and temperature. We also develop generalized expressions for extrapolating the existing data on thermal conductivity and thermal expansivity. Analytical expressions for these various properties are:

$$\sigma_t = 108 \text{ d}^{-0.4} \exp(-10p)(1 - 44 \exp(-7000/T)),$$
 $E = 140 \exp(-4p) - 140(T/T_m) \exp(-4p) \exp(1 - T_m/T),$ 
 $v = 0.25,$ 
 $k = (1 - p)^{1.94}(0.0220 + 1.784 \times 10^{-4}T)^{-1},$ 

and  $\sigma = 2.0569 \times 10^{-6}T^{0.4},$ 

where  $\sigma_t$  is tensile strength in MPa, E is Young's modulus in GPa,  $\upsilon$  is Poisson's ratio, k is thermal conductivity in W/m-K,  $\alpha$  is linear thermal expansivity in K-l, d is grain diameter in  $\mu m$ , p is volume fraction porosity and  $T_m$  is the melting point of Li\_20 in K.

Based on the available vapor pressure data on Li<sub>2</sub>0 and empirical correlations for the liquid and vapor equation of state of Li<sub>2</sub>0, we also make estimates of the critical properties of Li<sub>2</sub>0 and obtain a critical temperature of approximately 6800  $\pm$  800 K.

#### 1 INTRODUCTION

Lithium oxide is one of the most important solid breeder materials for future use in magnetic or inertial-confinement fusion reactors because of its uniquely high lithium atom density coupled with a high melting point and relatively low volatility. The lithium atom density in Li<sub>2</sub>O ( $\sim$ 0.88 g Li/cm<sup>3</sup> at 1000 K) exceeds that in the pure metal by a factor of 2 and that in  $\sim$ LiAlO<sub>2</sub>, the leading contender as a solid breeder, by a factor of 3. This high lithium atom density permits Li<sub>2</sub>O to achieve a tritium breeding ratio of greater than one in a fusion reactor blanket without the use of neutron multipliers as required with other solid breeders.

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In pursuing the development of  $\text{Li}_20$  as a solid breeder material, there is much yet to be done in establishing its fabrication characteristics, its compatibility with other materials, and its thermophysical and mechanical properties for design purposes. In spite of its potential use, surprisingly little is known about the above material characteristics of  $\text{Li}_20$ .

It has been only recently that the thermal expansivity was measured by Kurasawa and coworkers (1982), the thermal conductivity was measured by Takahashi and Kikuchi (1980), and an accurate value for the melting point was determined by Ortman and Larsen (1982). Considerable work has been done on the vaporization characteristics of Li20, and these studies have been summarized by Lamoreaux and Hildenbrand (1984). The microhardness of Li20 has been reported by Nasu and coworkers (1978).

These data essentially comprise the available information on thermophysical and mechanical properties of Li<sub>2</sub>O. We will therefore make estimates in the paper of some of these unknown properties using mainly corelation methods. In addition to estimating properties of the solid we will also estimate the liquid-gas coexistance curve and the critical properties of Li<sub>2</sub>O as a basis for better understanding its behavior in the liquid state.

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#### Li<sub>2</sub>0 Microstructure

Very little is available in the literature on the microstructural characteristics of fabricated Li<sub>2</sub>O specimens. Hence, the limited information reported by Takahashi and Kikuchi on specimens that they had fabricated for thermal diffusivity measurements is of considerable interest to us. They used the following fabrication procedure. Granules of the starting Li<sub>2</sub>O material (designated as CERAC/PURE) were first heated in a platinum crucible under vacuum for four hours at 973 K to decompose LiOH and Li<sub>2</sub>CO<sub>3</sub> impurities. The resultant material was then ground with an agate mortar and pestle in an argon atmosphere, pressed into pellets (10 mm diameter by 13 mm high) without a binder at 100-500 MPa, and sintered at temperatures of 1373 and 1473 K in covered platinum crucibles under vacuum for four hours. Specimens prepared in this way were sliced into discs 10 mm in diameter and 1.3 mm thick for the thermal diffusivity measurements. Total cation impurities were found to be 0.05 wt%, with Ca being the highest at 0.02 wt%.

Bulk densities for the specimens ranged from 70.8 to 93.4% of theoretical density (TD) with the average grain size ranging from 20  $_{\mu}m$  for 70.8% TD to 60  $_{\mu}m$  at 93.4% TD. Open porosity was found to be dominant at the lower densities, but as density increased the pores began to close off rapidly above about 86% TD. At 88% TD closed pores and open pores were found to be about equal, while above 90% TD closed pores dominated over open pores by about 5:1 (see Fig. 1).

An understanding of the pore structure variation with density is of value not only for interpreting physical and mechanical property behavior for Li<sub>2</sub>O, but also for the insight it can give us on the mechanisms of tritium and helium release when Li<sub>2</sub>O is used as a breeder. We should especially note that although Li<sub>2</sub>O that has been sintered to temperatures as high as 1473 K and to a density of 93.4% TD, some 20% of the porosity still consists of open pores that should provide a network of passages throughout the structure for release of tritium and helium.

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#### Thermal Conductivity

Using the methods of specimen preparation described above, Takahashi and Kikuchi (1980) measured thermal diffusivities of Li<sub>2</sub>0 in the range of 70.8 to 93.4% TD and temperatures of 473 to 1173 K. Thermal conductivities were then calculated from the thermal diffusivity values using literature information on specific heat and density to make the calculations. The data thus derived are summarized in Fig. 2, which also shows an extrapolation to 100% TD using the Maxwell-Eucken equation to make the extrapolation. We slightly modify the analytical expression used by Takahashi and Kikuchi to fit their data to express the thermal conductivity k in terms of volume fraction porosity p (instead of fraction of theoretical density) as follows:

$$k = (1 - p)^{1.94} (0.0220 + 1.784 \times 10^{-4} \text{ T})^{-1}$$
 (1)

#### Thermal Expansivity

Kurasawa and coworkers (1982) have measured the percent thermal expansion up to  $\sim 1200$  K for both single crystal and sintered specimens of Li<sub>2</sub>0 using a dilatometer to make the measurements. Two single crystal specimens, prepared from molten Li<sub>2</sub>0 by a floating zone technique, were used. Each specimen was 8 mm in diameter by 88 mm long. Five sintered specimens were prepared for the measurements using the method described by Takahashi and Kikuchi (see above). The sintered specimens were in the form of bars 4 x 4 x 10 mm, and had densities of 75.5, 80.0, 86.7, and 92.5% TD.

Kurasawa and coworkers' measurements on the single crystals showed a fair degree of variability between runs, especially at the higher temperatures. For example, the percent linear expansion from room temperature to 1173 K ranged from 2.47 to 2.82% for five different runs, which gives a spread of  $\pm$  6.6% about the mean. For each individual run, however, the standard deviation about a fitted curve for that run was quite good, being about 1-2%. Individual data points are not given for the sintered samples, but standard deviations are indicated to be of the order of 1% about the fitted curves. Agreement appears to be good for percent thermal expansion from room temperature up to about 1100 K for the averaged single crystal data and the sintered samples. Above 1100 K, the percent expansion curve shows a drop-off in slope with increasing temperature for samples with 80.0, 86.7, and 91.1% TD, but a normal continuation of the curves for 75.5, 92.5, and 100.0% TD.

In order to obtain thermal expansivity values from Kurasawa and coworkers' data, we need to differentiate the fractional expansion curves. We have a problem in doing this because of the variations in the data, especially at high temperatures. Therefore, our approach is to fit an average curve to the data up to 1100 K, and then allow the curve to rise in a predicted way above that temperature. The functional form of the curve is taken to be one that has previously been shown by Krikorian (1971) to be applicable to a large number of substances, including metals, oxides, borides, carbides, and nitrides, particularly at high temperatures. Thus, the averaged expression for fractional linear expansion,  $\Delta L/L_0$  (where  $L_0$  is referred to 298 K), and the expression for the derived linear thermal expansivity,  $\alpha$ , are found to be as follows:

$$\Delta L/L_0 = -4.275 \times 10^{-3} + 1.4692 \times 10^{-6} T^{1.4}$$
 (2)

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$$\alpha = d(\Delta L/L_0)/dT = 2.0569 \times 10^{-6} T^{0.4}, K^{-1}$$
 (3)

Fractional linear expansions calculated using equation (2) are compared in Table 1 with the average values for the single crystal data and for the 92.5% TD specimen as given by Kurasawa and coworkers. The linear thermal expansivity obtained from equation (3) is also summarized in Table 1.

#### Mechanical Properties

Experimental information on the mechanical properties of Li<sub>2</sub>0 is totally lacking at the present time. We must therefore rely on correlations based on other oxides to obtain some rough values with which to proceed with design calculations. Some theoretical guidance is also available in regard to variation of mechanical properties with grain size and specimen porosity. A primary design need for mechanical properties for Li<sub>2</sub>0 is to evaluate the thermal stress parameter, M, defined as follows:

$$M = \frac{\sigma_t (1 - v)k}{E\alpha}, W/m, \tag{4}$$

where  $\sigma_t$  is the short term tensile strength,  $\nu$  is Poisson's ratio, k is thermal conductivity, E is Young's modulus, and  $\alpha$  is the linear thermal expansivity. We see that k and  $\alpha$  are available for Li<sub>2</sub>0 as summarized earlier in this section. The problem remains to estimate values for the tensile strength, Young's modulus, and Poisson's ratio.

We consider first the estimation of tensile strength for Li $_2$ O. The only property measurement that we are aware of that may be an indication of tensile strength is the microhardness of Li $_2$ O which has recently been measured by Nasu and coworkers (1978). These workers prepared sintered discs of Li $_2$ O, 10 mm in diameter and 3 mm thick, using isostatic hot pressing at 1323 K under 100 MPa pressure. The as-prepared specimens (grain size  $_{\sim}$ 50 mm) gave a Vickers microhardness of 180  $_{\sim}$ 8 kg/mm $^{\sim}$  using a 300 g load for 30s on a diamond indentor. The microhardness was found to increase upon irradiation of the Li $_2$ O, saturating to a value of 230  $_{\sim}$ 7 kg/mm $^{\sim}$  with neutron doses exceeding 5 x 10 $^{\circ}$ 7 neutrons/cm $^{\circ}$ 6. The microhardness returned to its original value after annealing at temperatures above 623 K. It is not unusual to experience an increase in microhardness (and strength) of ceramics upon exposure to radiation as these workers found for Li $_2$ O.

In order to develop a correlation between microhardness and tensile strength, we need data on oxides that have been adequately characterized for grain size and porosity. Such data are very limited because not only have relatively few oxides been well-characterized, but because of the brittleness of ceramics, tensile strength is a difficult property to measure. Recognizing these difficulties, we have nonetheless used data on microhardness and tensile strength given by Samsonov (1973) and Shaffer (1964) to obtain a rough correlation (see Fig. 3). Knoop rather than Vickers microhardness is used since that is what is generally available. The two types of microhardness are usually about equal where comparisons have been made. Grain sizes for the oxides are about 30  $_{\rm pm}$ , porosities about 3%, and tensile strengths refer to ultimate short-term tensile strengths for the examples shown in Fig. 3. These oxide materials are generally believed to be of high purity except for ZrO2 which is CaO-stabilized. From Fig. 3, we predict a tensile strength of about

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20.5 MPa for Li<sub>2</sub>0 having a 30 µm grain size and 3% porosity.

The variation of strengths of ceramics with grain size and porosity is expressed in a generalized form by the following empirical expression originally given by Knudsen and referenced by Conrad (1970) and Wachtman (1967):

$$\sigma = \sigma_0 d^{-n} \exp(-bp), \tag{5}$$

where  $\sigma$  is the strength, d is grain diameter, p is the volume fraction porosity, and  $\sigma_0$ , n, and b are empirical constants. The general form of this equation differs slightly from that obtained from theoretical approaches, but the empirical expression seems to correlate well with oxide ceramics that have been studied. The value of n is usually somewhat less than 0.5, and b is about 10 according to Conrad (1970) and Wachtman (1967). Thus, using the value of 20.5 MPa for the tensile strength of Li<sub>2</sub>0 at a grain size of 30  $\mu$ m and a porosity of 3%, we obtain:

$$\sigma_t(\text{Li}_20) = 108 \, d^{-0.4} \, \exp(-10p),$$
 (6)

where d is expressed in  $\mu m$ . Based on this equation, the variation of  $\sigma_t(\text{Li}_20)$  with grain size and porosity is illustrated in Table 2. Thus we see that grain size should be maintained below  $\sim\!\!5~\mu m$  and porosity below  $\sim\!\!5\%$  in order to optimize the strength of the ceramic body.

This initial estimate of the tensile strength of Li<sub>2</sub>0 is probably good to within a factor of 2-3 of the true value, and most likely on the low side for the following qualitative reason. Li<sub>2</sub>0 has a relatively high melting point for a material with such a low microhardness. The high melting point is indicative of high bond strengths in the crystal and consequently of a high tensile strength.

In line with the behavior of other ceramics we expect that the strength of Li<sub>2</sub>O will not vary significantly with temperature up to about 55-60% of its melting temperature at which point the strength will begin to decrease. We therefore predict that this decrease in strength begins somewhere in the region of 1000 K. This behavior can be expressed approximately by the relationship

$$\sigma_t = \sigma_0 (1 - 44 \exp(-7000/T)).$$
 (7)

We discuss next the estimation of Young's modulus for Li<sub>2</sub>0. Wachtman (1967) and Conrad (1970) have reviewed the theory and general behavior of elastic moduli for ceramics. From their observations and data presented by Shaffer (1964) and Samsonov (1973), we conclude the following. We can make a rough estimate of Young's modulus for Li<sub>2</sub>0 by correlating values of Young's modulus with the melting point of oxides. Grain size has no significant effect on Young's modulus at temperatures below the onset of grain-boundary sliding (i.e., below ~0.55-0.60 of the absolute melting point). However, porosity has a major effect on the modulus, leading to a decrease in modulus with increasing porosity. The effect of temperature is to give a slow rate of decrease of Young's modulus with increasing temperature until grain-boundary sliding sets in, at which point the modulus decreases rapidly until the

melting point is reached. Elastic constants are very dependent on structure, so that the various generalized conclusions discussed above only apply if phase transitions do not occur over the temperature interval of interest. Li20 meets this criterion.

In order to obtain the best possible estimate of Young's modulus, we apply the correlation of Young's modulus versus melting point to only the cubic oxides (Li<sub>2</sub>O has a cubic inverse fluorite structure), and use the available data from Shaffer (1964) and Samsonov (1973) after extrapolating to zero porosity. Data on non-cubic oxides such as Al<sub>2</sub>O<sub>3</sub> and BeO show a significant deviation from the correlation, thus emphasizing structural effects. The cubic oxide correlation is illustrated in Fig. 4, where data on several representative cubic metals obtained from Samsonov (1968) are also included to show that the generalized correlation between Young's modulus and melting point is expected to be approximately linear. For Li<sub>2</sub>O with a melting point of 1711 K (Ortman and Larson, 1982), we predict from Fig. 4 a Young's modulus of about 140 GPa at room temperature and zero porosity.

To predict the variation of Young's modulus with the porosity of  $\text{Li}_20$ , we use the empirical Spriggs expression given by Conrad (1970) and Wachtman (1967):

$$E = E_0 \exp(-bp), \tag{8}$$

where  $E_0$  is the value of Young's modulus at zero porosity (i.e., 140 GPa), b is an empirical constant, and p is the fractional porosity. We find b values of 4.0 for Al<sub>2</sub>O<sub>3</sub>, 4.7 for MgO, and 3.4 for BeO from data given by Samsonov (1973), Shaffer (1964), Conrad (1970) and Wachtman (1967). We therefore take b = 4.0 for Li<sub>2</sub>O as our best guess, and the Spriggs expression for Li<sub>2</sub>O becomes:

$$E(Li_20) = 140 \exp(-4.0 p), GPa$$
 (9)

According to Wachtman (1967), the temperature dependence of Young's modulus for many ceramics can be described by an empirical expression of the type:

$$E = E_0 - AT \exp(-B/T), \tag{10}$$

where  $E_0$  is Young's modulus at absolute zero, and A and B are empirical constants for each material.

We find that we can put equation (10) into a more generalized form by assuming (1) that E goes to zero at the melting point for those ceramic materials that do not undergo phase transitions prior to melting, and (2) that the constant B is equal to the melting temperature. The expression thus becomes

$$E = E_0 - (T/T_m) E_0 \exp(1 - T_m/T),$$
 (11)

where  $T_m$  is the melting point. Examining the available data for  $Al_2O_3$ , MgO, ThO<sub>2</sub>, UO<sub>2</sub>, and MgO and CaO stabilized forms of  $ZrO_2$  as given by Samsonov (1973) and Shaffer (1964), we find that there is good agreement with this expression up to at least 1200 K, and in some cases up to 1800 K. BeO, which undergoes a phase transition near its melting point, shows agreement up

to ~1300 K, but the experimental data indicate rapid drop-off of E above this temperature. In Table 3, the experimental and calculated temperature dependences of Young's modulus are compared for several representative oxides. We find that the agreement is quite good, especially considering the substantial systematic errors that are usually present in experimental data of this type. Predicted values for Li<sub>2</sub>0 with zero porosity are summarized in the last column of Table 3.

Finally, we need to estimate Poisson's ratio for  $Li_20$ . Poisson's ratio is also related to Young's modulus and the shear modulus as follows:

$$v = \frac{E}{Zu} - 1 \tag{12}$$

Poisson's ratio for most materials, including ceramics, generally is found to be between 0.15 and 0.4. To a first approximation, Poisson's ratio should be independent of specimen porosity and temperature since both Young's modulus and the shear modulus show nearly the same porosity and temperature dependence. There are minor differences, however, and we especially might expect an increase in  $\nu$  at high temperatures when grain boundary sliding becomes important (e.g., see Fig. 5). Small amounts of chemical additives may also influence Poisson's ratio. For example ThO<sub>2</sub> that contains 0.5% CaO exhibits a Poisson's ratio of twice that of pure ThO<sub>2</sub> (see Fig. 5).

It is difficult to make an accurate estimate of Poisson's ratio for Li<sub>2</sub>O. Wide variations are seen in the reported data for even conventional ceramic materials such as  $Al_2O_3$  and MgO (see Fig. 5) as based on data given by Samsonov (1973), Shaffer (1964), and Soga and Anderson (1966). We therefore choose to take roughly a mean value, based on all materials, of v = 0.25 for Li<sub>2</sub>O, and further assume that v is independent of porosity, temperature, and chemical purity. The uncertainty in this value could be as much as a factor of two.

#### Thermal Stress Parameter

We are now in a position to calculate values of the thermal stress parameter M for Li<sub>2</sub>O as defined in equation (4). Analytical expressions are summarized in Table 4 for each of the input parameters, together with estimates of the uncertainties. It is evident from Table 4 that the uncertainties in the mechanical properties ( $\sigma_t$ , E, and  $_v$ ) are quite large and translate into an overall uncertainty of about an order of magnitude in the thermal stress parameter M. Clearly, accurate experimental data on the mechanical properties of Li<sub>2</sub>O are needed if we are to calculate accurate values of this thermal stress parameter for reactor design purposes.

Even though the absolute value of the thermal stress parameter is not very accurate, it is still useful for us to know the dependence of M on grain size, porosity, and temperature in attempting to optimize use conditions for Li20 in a blanket. The porosity and temperature dependence of M for Li20 with a grain diameter of 10  $_{\mu}m$  is illustrated in Fig. 6. It is apparent from this figure that a relatively large gain can be made in thermal stress parameter by using low porosity materials, especially with porosities less than about 5%. Fig. 6 also shows that M drops off fairly rapidly with temperature initially, but levels off at temperatures above  ${\sim}800~\text{K}.$ 

As can be seen from Table 4, grain size (d) affects only the tensile strength, and this effect is translated directly to M as a  ${\rm d}^{-0.4}$ 

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dependence. For illustration, using a 10  $\mu m$  grain diameter as a unit reference value, we calculate the following factors for the dependence of M on grain size:

grain dia (سر)	2	5	10	20	50	100
factor for M	1.90	1.32	1.00	0.76	0.53	0.40

We see that maintaining a small grain size can greatly increase both tensile strength and the thermal stress parameter, e. g., an increase of a factor of 4 in  $\sigma_t$  and M is to be expected if the grain size is maintained at 2  $\mu m$  instead of 50  $\mu m$ . In a sense, what we have is an indirect temperature dependent effect, since higher operating temperatures lead to the development of larger grains. It is possible, however, in many ceramic materials to limit grain growth by the use of suitable chemical additives. Thus, this emphasizes the importance in future research on fabrication studies of Li\_20 to develop materials with small and controlled grain sizes.

3 ESTIMATION OF THE LIQUID-GAS COEXISTANCE CURVE AND CRITICAL PROPERTIES of L120

#### The Gas Phase Composition Above Liquid Li<sub>2</sub>0

In analyzing the gas phase composition above liquid Li $_2$ 0, we assume that Li $_2$ 0 is vaporizing under relatively neutral conditions, and is undergoing congruent vaporization. We refer to both the recent thermodynamic data compilation of Lamoreaux and Hildenbrand (1984) up to 3000 K, and the JANAF (1971) data up to 6000 K, to summarize in Table 5 the relative moles of gaseous species produced for each mole of liquid Li $_2$ 0 vaporized at temperatures of 2000-6000 K. Also, summing over the various partial pressures, we obtain the total gas pressure at saturation,  $P_{\text{Sat}}$ , in the last column of Table 5, by assuming ideal gas behavior.

We now approximate the temperature dependence of  $P_{sat}$  by using an equation having the form of the Clapeyron equation, i.e.,

$$ln P_{sat} = A + B/T.$$

Plotting log  $P_{\text{sat}}$  versus 1/T, as shown in Fig. 7, we obtain a reasonably good fit, which is given by

$$ln P_{sat}(atm) = 13.30 - 36,300/T.$$
 (13)

According to Reid and Sherwood (1966), this Clapeyron-type expression is usually not a bad approximation for expressing the dependence of pressure on temperature from the normal boiling point to the critical point, and we will therefore use it for purposes of interpolating or extrapolating Li<sub>2</sub>O data.

#### Estimation of Liquid and Vapor Densities

As a first step in establishing liquid and vapor densities for the liquid-gas coexistance curve of Li<sub>2</sub>O, we need to extimate the density of liquid Li<sub>2</sub>O at its melting point of 1711 K. Using the room temperature lattice constant for Li<sub>2</sub>O ( $A_0 \approx 0.4619$  nm) given by Wyckoff and taking the volume expansion to be 3 times the linear expansion given by equation (2), we

obtain a molar volume of 16.85 cm<sup>3</sup>/mole for the solid at the melting point, which gives a density of  $\rho = 1.773$  g/cm<sup>3</sup>.

In order to estimate the density of the liquid, we now examine the available information on volume change upon fusion of compounds with the fluorite structure as well as the alkali halides and the minimal information available on oxides (see Table 6). Thus, we see that the very approximate value of +15.4% that is available for the volume change upon fusion of Li<sub>2</sub>0 is higher than observed for other compounds with the fluorite structure. Yet, this may not be unreasonable, since upon examining the data on alkali halides, we find that the lithium halides show a higher  $\Delta V_f/V_S$  value than the other alkali halides. The data on oxides shows a very broad range, and about all that we can conclude is that SiO<sub>2</sub> is unusual in its behavior and that the  $\Delta V_f/V_S$  value for Li<sub>2</sub>O should not be very different than for the other oxides. We therefore take  $\Delta V_f/V_S$  for Li<sub>2</sub>O to be 15.4 ± 5%, which reduces the uncertainty from that originally assigned (see footnote b in Table 6). Using this value of  $\Delta V_f/V_S$  we now proceed to calculate  $\Delta V_f = 2.60$  cm<sup>2</sup>/mole, or  $V_f = 19.45$  cm<sup>2</sup>/mole and  $\rho_L = 1.536$  g/cm<sup>3</sup> for liquid Li<sub>2</sub>O at its melting point.

Having established a reference value for the density of liquid  $\text{Li}_2\text{O}$  at its melting point, we now proceed to estimate the change of density with temperature. We first apply a corresponding states expression for liquid density developed by Riedel and reported by Lewis and coworkers (1961) as

$$\rho_2/\rho_C = 1 + 0.85(1 - T_r) + (1 - T_r)^{1/3}(1.89 + 0.91/\omega),$$
 (14)

where  $\rho_L$  and  $\rho_C$  are the liquid and critical densities,  $T_r$  is the reduced temperature, and  $\omega$  is the accentric factor used by Riedel as a measure of the departure of the intermolecular potential function from that of simple spherical molecules. If we let  $T_r=0$  in equation (14), as indicated by Riedel, we obtain a hypothetical density ratio at absolute zero of  $\rho_0/\rho_C=3.74+0.91~\omega$ . Dividing this into equatin (14), as we find that the resultant expression is insensitive to  $\omega$  up to about  $T_r=0.8$ , and the expression takes the form

$$\rho_2/\rho_0 = 0.2674 + 0.2273(1 - T_r) + 0.505(1 - T_r)^{1/3}$$
 (15)

Now, anticipating that  $T_c$  will be somewhere in the vicinity of 7000 K, we find from equation (14) that  $\rho_s/\rho_0$  = 0.8991 at 1711 K, and from our reference density value of 1.536 g/cm<sup>3</sup> at 1711 K, we obtain  $\rho_0$  = 1.708 g/cm<sup>3</sup>, which gives finally

$$\rho_L = 0.4568 + 0.3883(1 - T_r) + 0.863(1 - T_r)^{1/3}$$
 (16)

Values of liquid density calculated from this expression up to  $\sim 0.8$  of  $T_C$  are shown as solid squares in Fig. 8. We note also that using values of  $T_C$  of 6500 K or 7500 K in equation (16) does not significantly change the calculated values of  $\rho_R$  plotted in Fig. 8.

We now take as an alternative approach for estimating  $\rho_{\ell}$ , the hole theory for liquids as developed by Fürth (1941), and applied with good results by Bockris and Richards (1957) to the liquid alkali halides.

Hole theory assumes that a fraction  $\theta$  of the liquid has essentially the same structure as the corresponding solid, and within the volume of this

solid-like structure are holes with a characteristic size which depends upon the surface tension of the fluid. The characteristic hole size,  $V_h$ , is given by Fürth as

$$v_h = (32/15\pi)(kT/\sigma)^{3/2}, \tag{17}$$

where k is the Boltzman constant and  $\sigma$  is the surface tension of the liquid. In order to calculate  $\theta$ , Fürth compares the characteristic hole size with the size of a particle in the solid lattice and obtains solutions for three cases, namely: for hole sizes comparable to particle size  $\theta$  = 0.37, and for hole sizes either much smaller or much larger than the particle size  $\theta$  = 0.915.

Once  $\theta$  is established, we can calculate the volume thermal expansivity,  $\theta$ , for the liquid using the relation

$$\beta = \beta < \theta + \beta^*, \tag{18}$$

where  $\beta_S$  is the volume thermal expansivity of the solid extrapolated into the liquid region, and  $\beta^*$  is the contribution to the volume thermal expansivity by the holes. Assuming that the surface tension has the characteristic form

$$\sigma = \mathbf{a}(1 - \mathbf{T_r})^{\mathbf{b}},\tag{19}$$

where a and b are parametric constants, and that the holes are single holes only (rather than associated), Fürth obtains the following expression for  $\beta^{\pi}$ ,

$$\beta^* = \sqrt{\frac{v_h N_h (3/2)[T_c + T(b-1)]}{t}},$$
(20)

where N<sub>h</sub> is the number of holes per mole, and b, according to Lewis and coworkers (1961), has the value 11/9. The factor  $v_h N_h/V_t$  is most conveniently estimated from the volume change on fusion, i.e.,  $\Delta V_f/V_t$ , which in our case is 2.60/19.45 = 0.1337. The extrapolated volume thermal expansivity of the solid,  $\beta_S$ , is taken as 3 times the linear thermal expansivity in equation (3), and hence

$$\beta_s = 6.171 \times 10^{-6} T^{0.4}$$
 (21)

Before proceeding with the hole theory calculation, we need to compare hole size,  $v_h$ , with the lattice particle size in Li<sub>2</sub>O. To do this, we need an estimate of the surface tension of liquid Lī<sub>2</sub>O. Using a modified form of the Eötvõs equation, we will assume for a given class of compounds that  $\sigma V_a^{2/3}$  is proportional to enthalpy of vaporization at the boiling point,  $\Delta H_v$ , where  $V_a$  is the volume per gram-atom and  $\Delta H_v$  is also given on a gram-atom basis. Thus, comparing the available data on oxides (see Table 7), we find that the product  $\sigma V_a^{2/3}\Delta H_v^{-1}$  remains reasonably constant with an average value of 5.72 dyne-cm/kJ at a temperature of  $\sim 2/3$  of the boiling point. We therefore estimate the surface tension of liquid Li<sub>2</sub>O to be 328 dynes/cm at 1711 K (see Table 7).

Using this surface tension value in equation (17), we obtain a characteristic hole volume of 1.3 x  $10^{-23}$  cm at the melting point of Li 20. This can be compared with he size of the  $0^{-2}$  ion, which, assuming an ionic radius of  $\sim 0.14$  nm, is  $1.15 \times 10^{-23}$  cm at room temperature. The volume of Li is about an order of magnitude smaller than this, and an Li 20 unit occupies on the average a volume of  $3.2 \times 10^{23}$  cm based on the density of solid Li 20. We will assume that it is the size of the  $0^{-2}$  ion that mainly defines the particle size for purposes of the hole theory, and since  $v_h$  is therefore comparable in size to  $0^{-2}$ , and we will take Fürth's value of 0.37 for  $\theta$ .

Substituting equations (20 and (21) into equation (18) together with  $v_hN_h/V_{\pm}=0.1337$ ,  $T_C=7000$  K, b = 11/9, and e = 0.37, and then integrating equation (18), we obtain

$$V_{L}$$
 (Li<sub>2</sub>0) = 19.45 exp 0.8582 + 1.631 x 10<sup>-6</sup> T<sup>1.4</sup>  
+ 0.300 ln T - 0.367 ln (7000 - T). (22)

We also note that substituting either  $T_C$  = 6000 K or 8000 K in equation (22) has little effect on the values of  $V_\ell$  up to  $\sim\!0.8$  of  $T_C$ .

Using equation (22), we now calculate the values of  $\rho_{\ell}$  for Li<sub>2</sub>0 based on hole theory as shown by the full triangles in Fig. 8. We see that the rate of density decrease with temperature is substantially greater based on hole theory than based on the Riedel equation. We believe that the hole theory densities are actually too low because of the assumption of a regular rate of decrease of  $\sigma$  with temperature (see equation (19)). It is actually found that many liquid oxides such as B<sub>2</sub>O<sub>3</sub>, SiO<sub>2</sub>, GeO<sub>2</sub>, PbO, and LiBO<sub>2</sub> (see Janz and coworkers, 1969) show an increase in  $\sigma$  with temperature (even though this trend must reverse as the critical point is approached). We also believe the Riedel equation densities are too high, simply because the rate of decrease of density with temperature is less than that in solid Li<sub>2</sub>O. We conclude that the true values of  $\rho_{\ell}$  lie somewhere between the hole theory and Riedel equation values.

We next proceed to sketch in the rectilinear diameters, DR, based on both the hole theory and Riedel equation  $\rho_{1}$  values, where  $D_{R}$  is given by

$$D_{R} = (\rho_{\ell} + \rho_{g})/2, \qquad (23)$$

and  $\rho_{\rm G}$  is the density of the gas, which for our purposes here is taken to be the ideal gas density derived from equation (13) by using an average molecular weight for the gas phase. We further sketch in a locus of critical densities by assuming a series of critical temperatures and correcting the ideal gas densities to that of a real gas at each assumed critical point using a critical compressibility factor of 0.291 as listed by Lewis and coworkers (1961) for an accentric factor of zero. We thus find (see Fig. 8) that the hole theory rectilinear diameter gives  $T_{\rm C}=6400$  K, and the Riedel equation rectilinear diameter gives  $T_{\rm C}=7350$  K. We select  $6800\pm800$  K as our best estimate of  $T_{\rm C}$ , and construct the coexistance curve as shown by the solid line in Fig. 8 to give a linear rectilinear diameter. The real gas densities used in constructing Fig. 8 are summarized in Table 8.

Summarizing the estimated critical properties of Li<sub>2</sub>0 from Table 8, we find a critical temperature of 6800  $\pm_3$ 800 K, a critical pressure of  $\sim$ 2,900 atm, a critical density of  $\sim$ 0.32 g/cm<sup>3</sup>, and a critical volume of  $\sim$ 93 cm<sup>3</sup>/mole.

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- Figure 1. The dependence of open and closed porosity in Li<sub>2</sub>0 as a function of overall specimen density is illustrated for Li<sub>2</sub>0 specimens fabricated by sintering.
- Figure 2. Thermal conductivities of Li<sub>2</sub>0 are shown as a function of percentage of theoretical density and temperature according to the data of Takanashi and Kikuchi (1980).
- Figure 3. A correlation of Knoop microhardness with tensile strength is illustrated for several oxide ceramics having an approximate grain size of 30  $\mu$ m and a porosity of about 3%. For Li<sub>2</sub>0 with a reported Vickers microhardness of 180 kg/mm<sup>2</sup>, this correlation predicts a tensile strength of 20.5 MPa.
- Figure 4. The correlation of Young's modulus of elasticity with melting point is illustrated here for cubic oxides and metals. On the basis of this correlation, Young's modulus for Li<sub>2</sub>O is predicted to be about 140 GPa.
- Figure 5. Poisson's ratio is shown as a function of temperature for several oxides. The solid curves are from Samsonov (1973) and the dashed curves from Soga and Anderson (1966). The latter data are believed to be the more accurate and indicate that Poisson's ratio increases gradually with temperature and is relatively insensitive to porosity. Chemical additives, such as 0.5% CaO added to ThO<sub>2</sub>, also can have an effect on Poisson's ratio.
- Figure 6. Illustrated here are calculated values of the thermal stress factor M for Li<sub>2</sub>0 as a function of temperature and porosity at a fixed grain diameter size of 10  $\mu m$ .
- Figure 7. A plot is given here of the logarithm of gas pressure, P<sub>sat</sub>, in equilibrium with liquid Li<sub>2</sub>O as a function of inverse temperature.
- Figure 8. Predicted coexistence curve for Li<sub>2</sub>0 liquid and gas.

Table 1. The fractional linear expansions for single crystal Li $_2$ 0 and 92.5% TD sintered Li $_2$ 0 reported by Kurasawa and coworkers (1980), are compared here with a best-fit equation to all of the Li $_2$ 0 data. The linear thermal expansivity derived from the best-fit equation is also given.

T,K	ΔL/L <sub>o</sub> , single crystal	ΔL/L <sub>o</sub> , 92.5% TD	ΔL/L <sub>o</sub> , best-fit equation	$\alpha(K^{-1})$ , best-fit equation
298	-0.00004	0.00006	0.00000	2.01 x 10 <sup>-5</sup>
400	0.00210	0.00196	0.00218	2.26 x 10 <sup>-5</sup>
500	0.00447	0.00408	0.00455	$2.47 \times 10^{-5}$
600	0.00712	0.00642	0.00711	2.66 x 10 <sup>-5</sup>
700	0.01003	0.00901	0.00986	$2.83 \times 10^{-5}$
800	0.01321	0.01184	0.01276	2.98 x 10 <sup>-5</sup>
900	0.01667	0.01491	0.01582	$3.12 \times 10^{-5}$
1000	0.02040	0.01822	0.01901	$3.26 \times 10^{-5}$
1100	0.02440	0.02176	0.02233	$3.39 \times 10^{-5}$
1200	0.02867	0.02554	0.02578	$3.51 \times 10^{-5}$
1300	0.03321	0.02957	0.02934	$3.62 \times 10^{-5}$

Table 2. Predicted variation of the estimated tensile strength (MPa) of Li<sub>2</sub>O with grain diameter and fractional porosity in a fabricated body.

Grain	Fractional Porosity						
Diameter,	<u>0</u> 108.0	0.05 65.5	0.10 39.7	0.20	0.30		
5	56.7	34.4	20.9	7.7	2.8		
10 50	43.0 22.6	26.1 13.7	15.8 8.3	5.8 3.1	2.1 1.1		

Table 3. The observed variation of Young's modulus (in GPa) with increasing temperature is compared for several oxide ceramics with the behavior calculated using equation (11) and assuming the calculated values of Young's modulus to be identical to the observed values at room temperature. Equation (11) is used to predict the values for Li<sub>2</sub>0 in the last column. Sample porosities are given for the experimental data, and the melting points used in the calculations are also indicated.

	A7	203	Mg	<b>J</b> O	ZrO <sub>2</sub> -	- 4% CaO	TI	102	Li <sub>2</sub> 0
		= 2%,	_ ( <u>p</u>	= 2%,		= 4%,	_ ( <del>p</del>	= 3%,	(p = 0%,
	'm =	2320 K)	T <sub>m</sub> =	2850 K)	T <sub>m</sub> =	3000 K)	lm =	3490 K)	$T_{\rm m} = 1850 \text{ K})$
T,K	obs.	calc.	obs.	calc.	obs.	calc.	obs.	calc.	calc.
		<del></del>				<del></del>			
298	376	376	295	295	167	167	235	235	140
600	366	370	278	294	164	166	231	235	134
800	356	357	267	289	161	164	224	233	124
1000	344	333	257	279	155	159	216	229	108
1200	324	300	246	264	149	152	209	223	87
1400	294	258	234	244	122	142	200	214	63

Table 4. Analytical expressions for the estimated physical and mechanical properties of Li<sub>2</sub>O are summarized here together with an assessment of the expected uncertainties.

#### Tensile strength (in MPa):

$$\sigma_t = 108 \text{ d}^{-0.4} \exp(-10\text{p}) (1 - 44 \exp(-7000/\text{T})),$$

where d = grain diameter in  $\mu m$  and p = volume fraction porosity. Estimated uncertainty in  $\sigma_t$  is a factor of 2 to 3.

#### Young's modulus (in GPa):

$$E = 140 \exp(-4p) - 140(T/T_m) \exp(-4p) \exp(1 - T_m/T),$$

where  $T_{m}$  is the melting point of Li<sub>2</sub>O (1711 K). Estimated uncertainty in E is a factor of 2 to 3.

#### Poisson's ratio:

$$v = 0.25$$

Estimated uncertainty in  $\nu$  is a factor of 2.

### Thermal conductivity (in W/m-K):

$$k = (1 - p)^{1.94} (0.0220 + 1.784 \times 10^{-4} T)^{-1}$$

Estimated uncertainty in k is about  $\pm$  5%.

## Linear thermal expansivity (in K ):

$$\alpha = 2.0569 \times 10^{-6} T^{-0.4}$$

Estimated uncertainty in  $\alpha$  is about  $\pm$  7%.

Table 5. Listed here are the estimated equilibrium concentrations of gaseous species above congruently vaporizing liquid Li<sub>2</sub>0. The total saturation gas pressure above liquid Li<sub>2</sub>0 based on these species is given the last column.

Moles of gaseous species produced for each mole of Li<sub>2</sub>O(1) vaporized<sup>a</sup>

T,K	p <sub>L120</sub> , atm	Li <sub>2</sub> 0(g)	Li(g)	0 {g)	L10(g)	Li <sub>3</sub> 0(g)	Li 0 <sub>2</sub> (g)	0(g)	L1 (g)	P satatm
2000	5.4 x 10 <sup>-3</sup>	0.828	0.278	0.060	0.030	0.008	0.006	0.002		7.9 x 10-3
2500	1.8 x 10 <sup>-1</sup>	0.754	0.334	0.064	0.074	0.024	0.006	0.008		3.0 x 10 <sup>-1</sup>
3000	1.7 x 10 <sup>0</sup>	0.646	0.414	0.070	0.132	0.050	0.006	0.020		$3.5 \times 10^{0}$
3500	7.9 x 10 <sup>0</sup>	0.544	0.494	0.068	0.204	0.066	0.006	0.038	0.002	$1.8 \times 10^{1}$
4000	2.1 x 10 <sup>1</sup>	0.464	0.530	0.056	0.282	0.080	0.006	0.050	0.004	$6.7 \times 10^{1}$
5000	9.3 x 10 <sup>1</sup>	0.348	0.624	0.050	0.344	0.100	0.004	0.100	0.014	$4.2 \times 10^{2}$
6000	2.4 x 10 <sup>2</sup>	0.298	0.612	0.046	0.366	0.110	0.002	0.116	0.028	$1.3 \times 10^3$

<sup>&</sup>lt;sup>a</sup> In addition to the neutral species listed at 6000 K, the gas also contains the following numbers of moles of charged species:  $0.010 \text{ Li}^+(g)$ ,  $0.006 \text{ Li}_30^+(g)$ ,  $0.008 \text{ Li}_0^-(g)$ , and  $0.008 \text{ e}^-(g)$ .

Table 6. Summary of values of the volume change on fusion relative to the volume of the solid at the melting point,  $\Delta V_f/V_S$  (in %), for various halides and oxides.

Fluorite structures		Alkali hal	Oxides		
Li20 CaF2 SrF2 BaF2 SrC12 BaC12 UO2	∿15.4 <sup>b</sup> 9.5 7.6 5.8 1.9 -0.2 10.4	LiF LiCl LiBr ave., all MX: range, all MX:	29.4 26.2 24.3 20.0 10.0-29.4	Pb0 B <sub>2</sub> 0 <sub>3</sub> Al <sub>2</sub> 0 <sub>3</sub> Si0 <sub>2</sub>	15.6 9.0 22.3 -7.6

 $<sup>^{\</sup>rm a}$  Liquid density data for the various halides, Li<sub>2</sub>0, Pb0, and B<sub>2</sub>0<sub>3</sub> are from Janz (1967) and Janz and coworkers (1968), for U0<sub>2</sub> from Fink and coworkers (1981), for Al<sub>2</sub>0<sub>3</sub> from Kirshenbaum and Cahill (1960), and for Si0<sub>2</sub> the data are those on Si0<sub>2</sub> glass given by Toulouklian and coworkers (1977) with our extrapolation to the melting point. The solid density data for U0<sub>2</sub> are from Fink and coworkers (1981), for Pb0 and B<sub>2</sub>0<sub>3</sub> are estimated, for Si0<sub>2</sub> from Skinner (1966), for Li<sub>2</sub>0 from equation (2), and the balance are from Touloukian and coworkers (1977) and Janz (1967) with extrapolations as needed.

<sup>&</sup>lt;sup>b</sup> This value for the volume change on fusion of Li<sub>2</sub>0 is based on an estimated molar volume derived from data on silicate melts at 1673 K (Janz, 1967). The stated uncertainty of the estimate gives the range of  $\Delta V_f/V_S$  values to be from 0.6-30.2%.

Table 7. This table illustrates the constancy of the surface tension parameter,  $\sigma V_a^{2/3} \Delta H_V^{-1}$ , for liquid oxides at  $\sim\!\!2/3$  of the boiling point. The surface tension of liquid Li<sub>2</sub>0 at the melting point is calculated to be 328 dynes/cm based on the average value of 5.72 dyne-cm/kJ for the surface tension parameter of liquid oxides.

Liquid oxide	T,K	σ, dynes/cm	γ <sub>a</sub> , cm <sup>3</sup> /g-atom	ΔΗ <sub>ν</sub> , kJ/g-atom	Est. B.P., K	$\sigma V_a^{2/3} \Delta H_V^{-1}$ , dyne-cm/kJ
РЬО	1223	133.4	13.89	131.4	1808	5.87
B <sub>2</sub> 0 <sub>3</sub>	1673	97.1	9.36	72.3	2338	5.96
Algug Silh	2323 2073	695 307.5	6.77 9.07	437.8 249.1	3800 2800	5.68 5.37
B <sub>2</sub> 0 <sub>3</sub> Al <sub>2</sub> 0 <sub>3</sub> Si0 <sub>2</sub> Li <sub>2</sub> 0	1711	328 (calc		199.4	2730	5.72 (ave.)

 $<sup>^{\</sup>rm a}$  Data for  $_{\rm o}$  are from Janz and coworkers (1969). Data for  $\rm V_a$  are from Janz (1967) for PbO, from Janz and coworkers (1968) for  $\rm B_2O_3$ , from Kirshenbaum and Cahill (1960) for  $\rm Al_2O_3$ , from Touloukian and coworkers (1977) for SiO\_2 as based on SiO\_2 glass plus extrapolated data, and for Li\_2O from this report. Data for  $\rm \Delta H_V$  have been derived from JANAF (1971) using the estimated boiling points given in this table.

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Table 8. Summarized here for  $T_{\rm C}$  = 6800 L for Li<sub>2</sub>O are values of P<sub>sat</sub>, average molecular weight, ideal gas density, and real gas density based on Z factors listed by Lewis and coworkers (1961).

2500	T,K	P <sub>sat</sub> , atm	ave. MW	pg (ideal), g/cm <sup>3</sup>	<b>z</b>	Pg (real), g/cm <sup>3</sup>
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	2500 3000 3500 4000 4500 5000 6500 6600 6700	2.95x10 <sup>-1</sup> 3.32x10 <sup>0</sup> 1.87x10 <sup>1</sup> 6.84x10 <sup>1</sup> 1.87x10 <sup>2</sup> 4.20x10 <sup>2</sup> 8.12x10 <sup>2</sup> 1.41x10 <sup>3</sup> 2.24x10 <sup>3</sup> 2.44x10 <sup>3</sup> 2.65x10 <sup>3</sup>	23.64 22.33 21.01 20.30 19.53 18.86 18.68 18.56 18.39 18.33	3.40x10-5 3.01x10-4 1.37x10-3 4.23x10-3 9.91x10-2 3.36x10-2 5.31x10-2 7.73x10-2 8.26x10-2 8.81x10-2	0.985 0.975 0.968 0.951 0.921 0.868 0.794 0.696 0.551 0.508 0.450	1.20x10-6 3.45x10-5 3.09x10-4 1.41x10-3 4.45x10-3 1.08x10-2 2.25x10-2 4.23x10-2 7.63x10-2 1.40x10-1 1.63x10-1 1.96x10-1 3.22x10-1

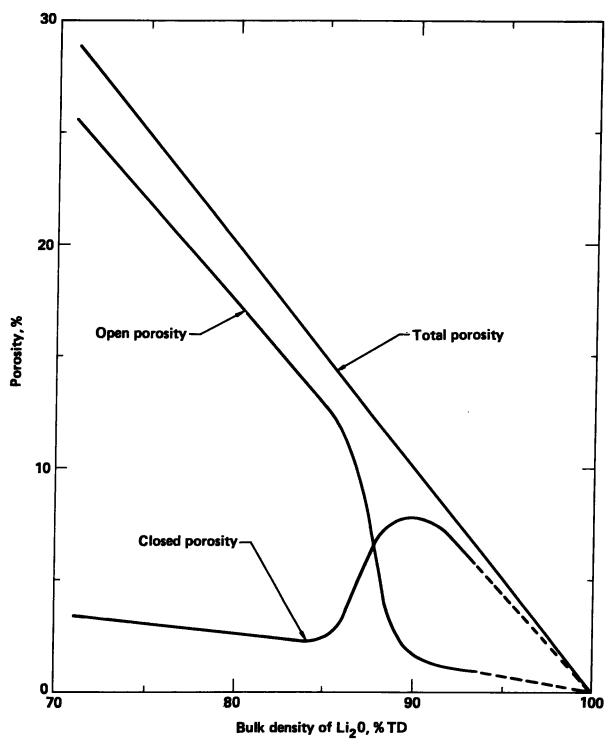


Figure 1. The dependence of open and closed porosity in  $\text{Li}_20$  as a function of overall specimen density is illustrated for  $\text{Li}_20$  specimens fabricated by sintering.

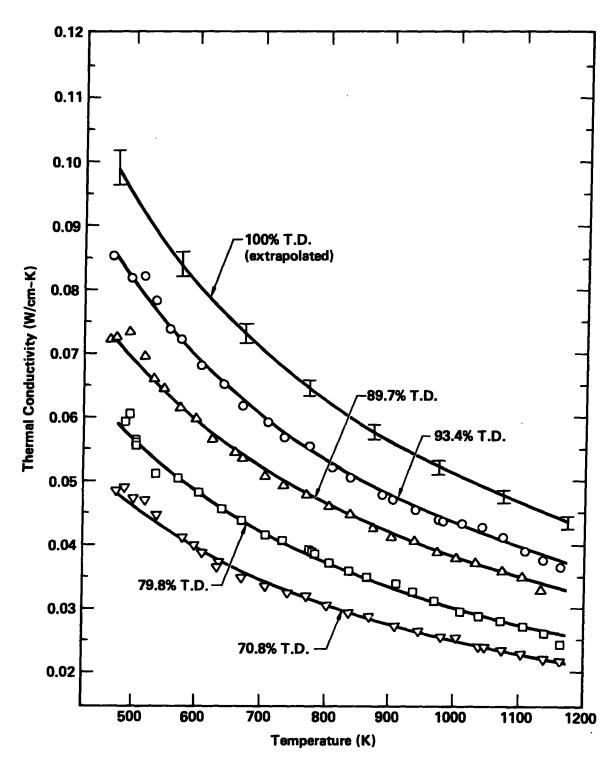


Figure 2. Thermal conductivities of  $\text{Li}_20$  are shown as a function of percentage of theoretical density and temperature according to the data of Takahashi and Kikuchi (1980).

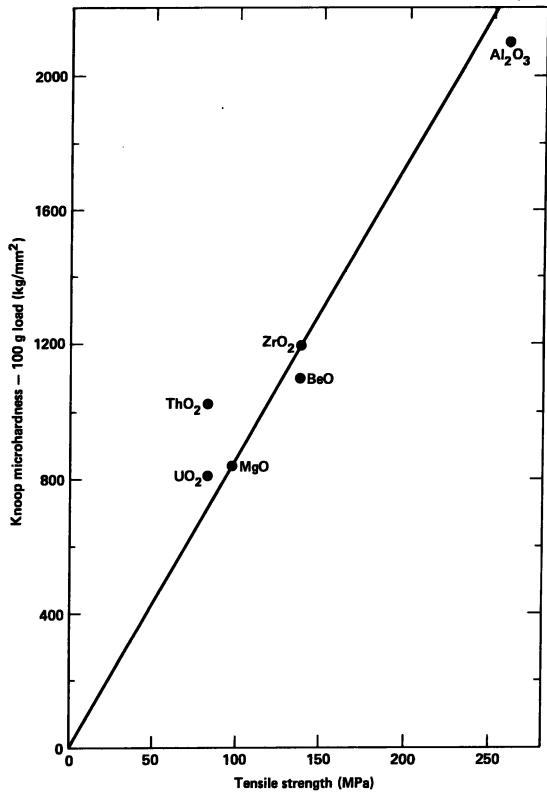


Figure 3. A correlation of Knoop microhardness with tensile strength is illustrated for several oxide ceramics having an approximate grain size of 30  $_{\nu}$ m and a porosity of about 3%. For Li\_20 with a reported Vickers microhardness of 180 kg/mm², this correlation predicts a tensile strength of 20.5 MPa.

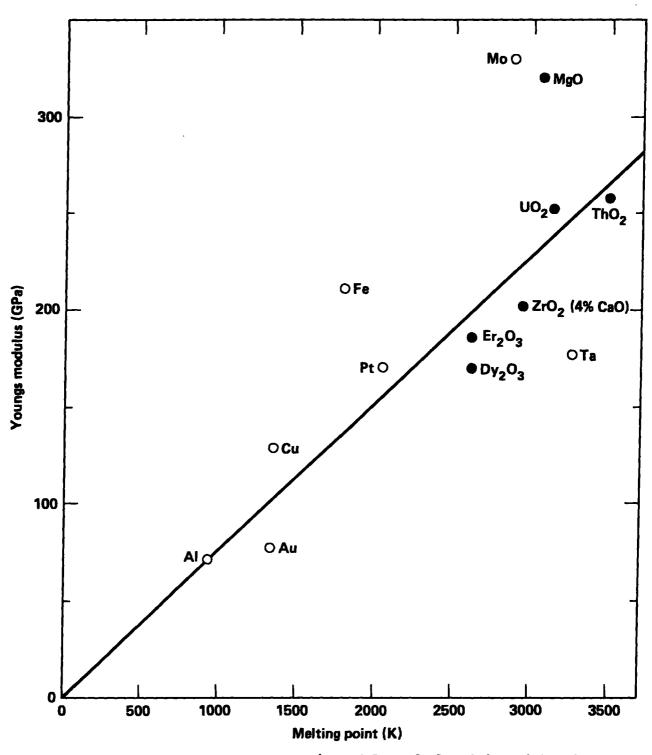


Figure 4. The correlation of Young's modulus of elasticity with melting point is illustrated here for cubic oxides and metals. On the basis of this correlation, Young's modulus for  $\text{Li}_20$  is predicted to be about 140 GPa.

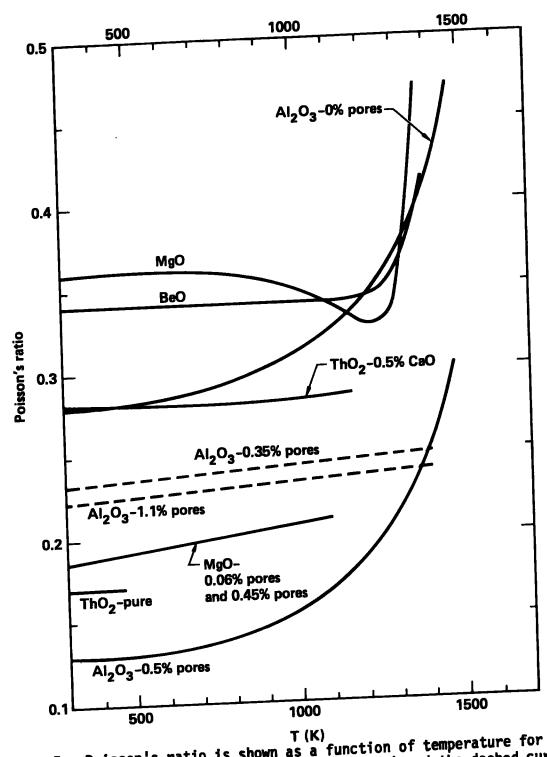


Figure 5. Poisson's ratio is shown as a function of temperature for several oxides. The solid curves are from Samsonov (1973) and the dashed curves from Soga and Anderson (1966). The latter data are believed to be the more accurate and indicate that Poisson's ratio increases gradually with temperature and is relatively insensitive to porosity. Chemical additives, temperature and is relatively insensitive an effect on Poisson's ratio. such as 0.5% CaO added to ThO2, also can have an effect on Poisson's ratio.

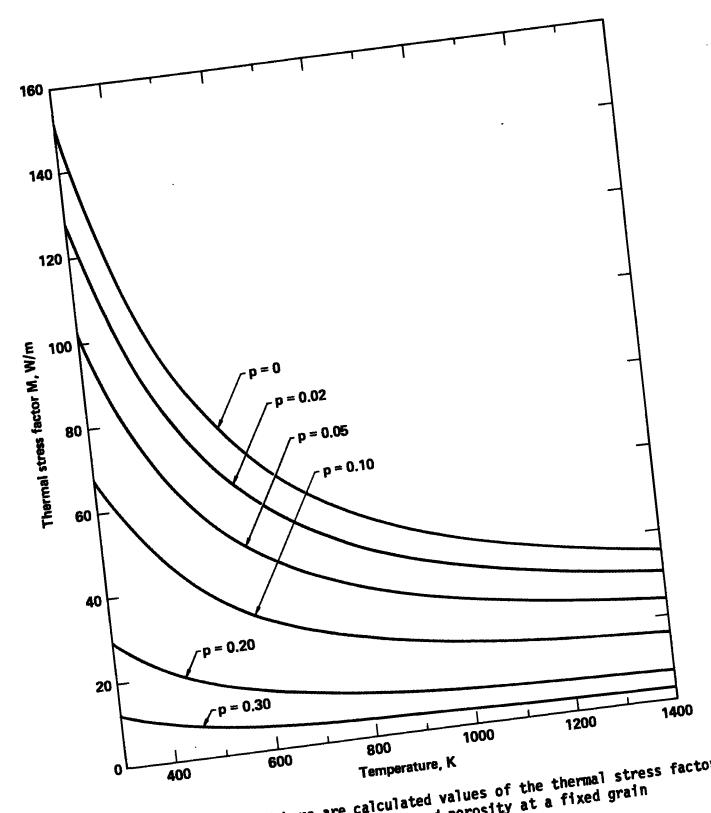


Figure 6. Illustrated here are calculated values of the thermal stress factor M for Li 20 as a function of temperature and porosity at a fixed grain diameter size of 10  $\mu\text{m}$ .

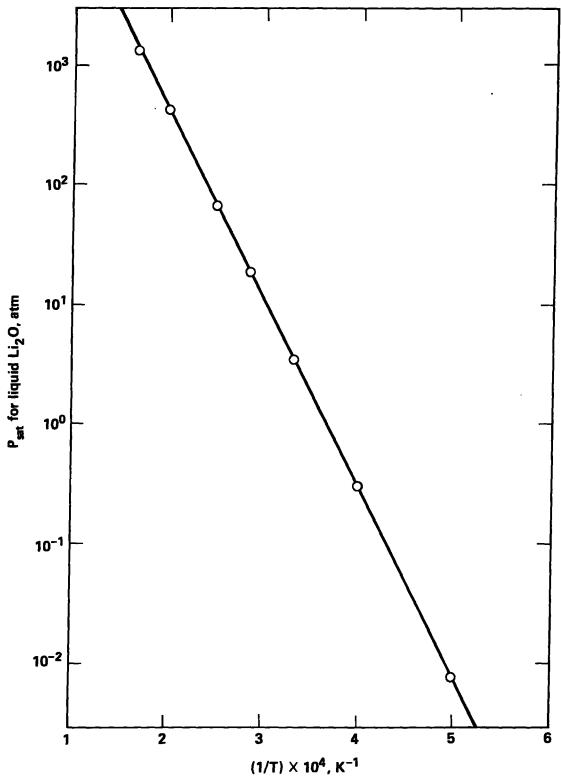


Figure 7. A plot is given here of the logarithm of gas pressure,  $P_{\text{sat}}$ , in equilibrium with liquid Li<sub>2</sub>O as a function of inverse temperature.

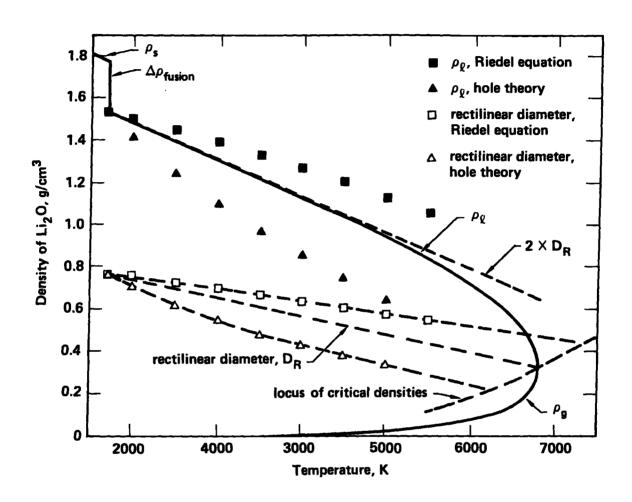


Figure 8. Predicted coexistence curve for Li<sub>2</sub>0 liquid and gas.